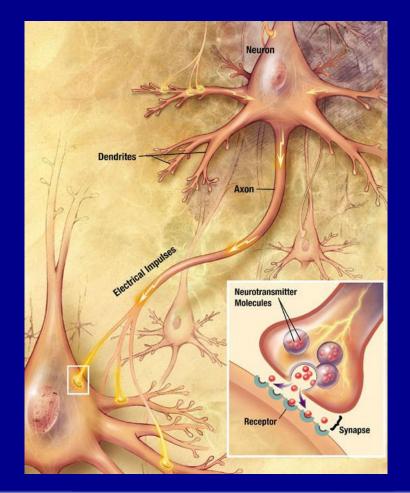
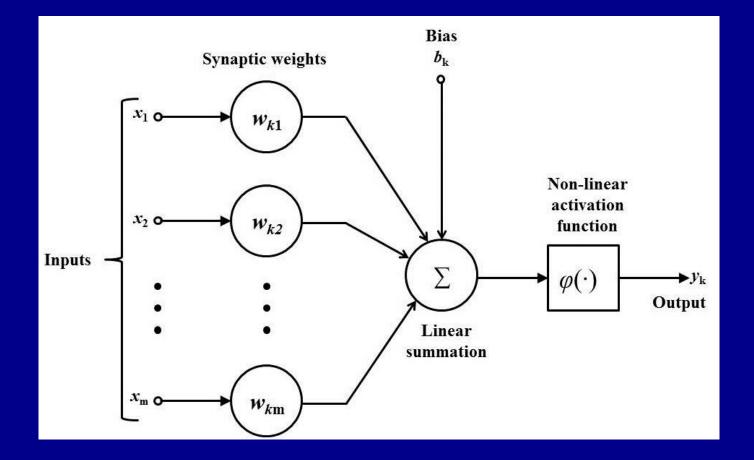


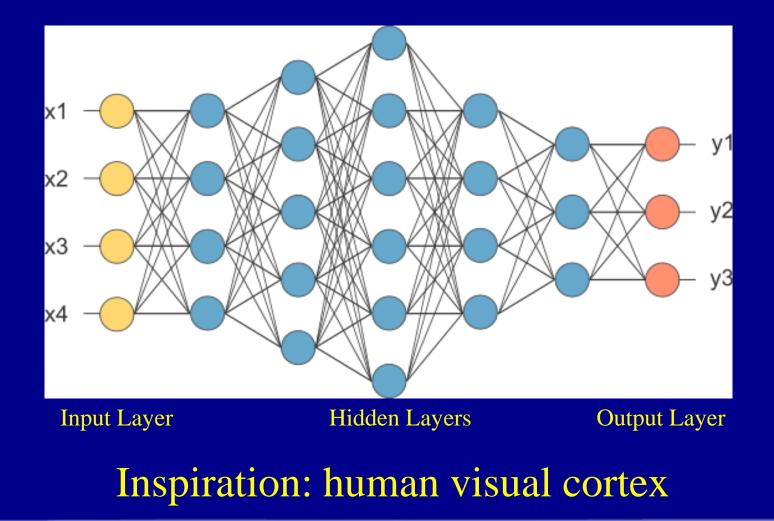
Biological Neuron



McCulloch-Pitts Neuron



Deep Neural Networks



Training using Backpropagation

- Supervised learning: given examples with ground truth
- ('training set')
- Loss function (error quantification)
- Loss depends analytically on the synaptic weights
- Back-propagation of derivatives (chain rule) through layers
- Slowly update the synaptic weights (e.g. gradient descent, Metropolis-Hastings, etc.) to minimize loss



- Comeback of neural networks (~2005)
- Depth made all the difference
- Depth (number of layers) allows significant abstraction
- Progress made possible by hardware
- Breaks records of performance

Deep Learning Revolution

- Computer vision
 - Scene parsing, face recognition, handwriting recognition, etc.
- Speech recognition
- Automatic machine translation
- Genomics (e.g. roles of non-coding DNA sequences)
- Drug discovery (e.g. predict metabolic fate of a molecule)
- Autonomous cars
- ... and many more

Essential Ingredients

- Large and comprehensive training set
- Deep network (many layers)
- Adequate network architecture
 - Convolutional neural networks (ConvNets)
 - Fully Convolutional networks (FCN)
 - Recurrent neural networks (RNN)
 - Residual networks (ResNets)
- Back-propagation scheme

Typical Task #1: Image Classification

Microsoft competition: dogs vs. cats (Kaggle dataset) Design a code that will distinguish between cats and dogs



98.9% right! (Pierre Sermanet, 2014)

Typical Task #2: Image Denoising









Remez et al. 2017

Typical Task #3: Image Segmentation



Shelhamer et al. 2017

Relevant Tasks for PLATO

- Transit detection ('classification', #1)
- Detrending ('denoising', #2)
- Individual transit identification ('segmentation', #3)
- Estimates of false positive/negative rates

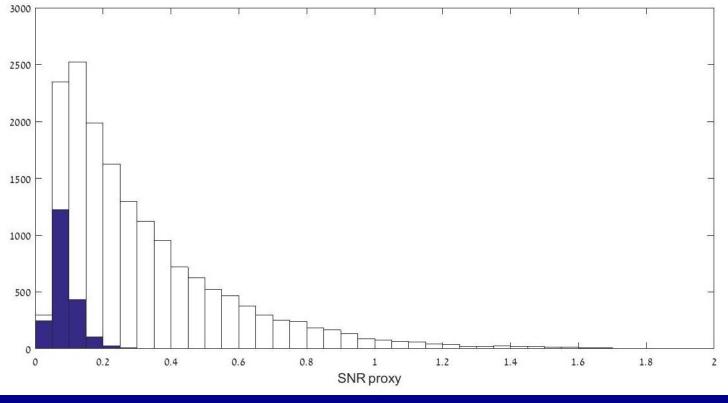
- Cadence 5 min
- Time span ~21 days
- (6144 samples)
- Training set:
 - 83333 lightcurves with transits
 - 83333 lightcurves with no transits

- **GP Simulated red noise:** $k(t_i - t_j) = A_s^2 \exp\left[-\left(\frac{t_i - t_j}{\lambda_s}\right)^2\right] + A_q^2 \exp\left[-\frac{\sin^2[\pi(t_i - t_j)/T_q]}{2} - \left(\frac{t_i - t_j}{\lambda_q}\right)^2\right] + A_w^2 \delta(t_i - t_j)$
- *A*_s ~ 20 500 ppm, *A*_q ~ 2 500 ppm
- $A_{\rm w} = 140 \exp[0.2(M M_{\rm min})]$
- *M* ~ 10 16
- $\lambda_{\rm s} \sim 1 \, {\rm min} 10 \, {\rm hours}, T_{\rm q} \sim 10 500 \, {\rm hours}$
- $\lambda_{q} \sim 16.6 500$ hours

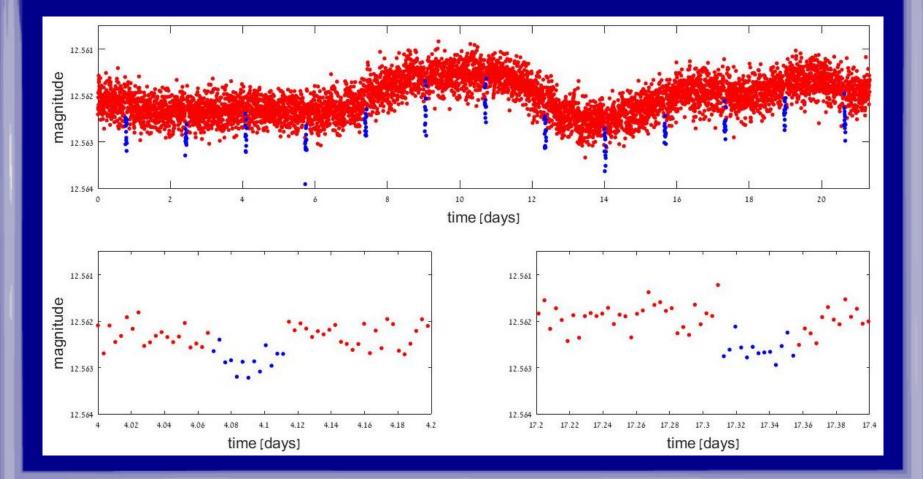
- Trapezoidal simulated transits:
- *P* ~ 16.6 hours 4.2 days
- Depth ~ $10^{-3} 10^{-4}$
- Duration ~ 30 min 3.3 hours

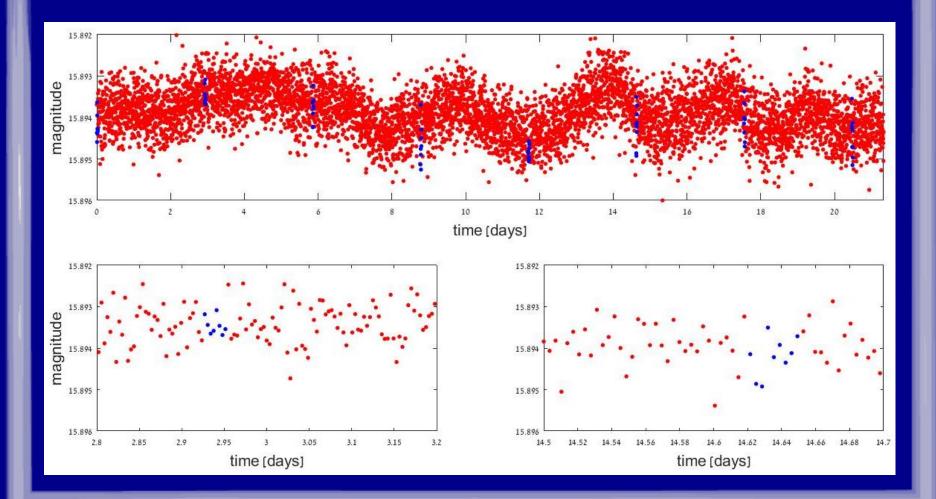
- One-layer FCN for detection
- (actually not 'deep' learning)
- Applied on the Fourier amplitudes
- Testing:
 - 16667 lightcurves with transits
 - 16667 lightcurves with no transits
- 7% false positives, 12% false negatives





SNR proxy: $\frac{d}{\sigma}\sqrt{w/P}$







- Deep learning neural networks may be the way forward.
- They may achieve unprecedented results
- A fundamentally different approach